

Z7(z1,t)=1. Again, we verify instead that

$$-1 + b_0(t) + b_2 z_1^2 + b_4 z_1^4 + b_6 z_1^6 = - \\ (b_1 z_1 + b_3 z_1^3 + b_5 z_1^5 + b_7 z_1^7)$$

(in one stroke we also have Z7(z3,t)=Z7(z5,t)=1)

```

ln[ = ]:= Off[Root::nup]

ln[ = ]:= ω = √(4 - 11 t + 8 t²) / t;

ln[ = ]:= iep3 = z³ - (z² (-14 + 81 t - 130 t² - 134 t³ + 728 t⁴ - 1020 t⁵ + 680 t⁶ - 216 t⁷ + 24 t⁸ +
(-1 + 2 t) (2 + 5 t - 40 t² + 64 t³ - 38 t⁴ + 8 t⁵) ωω)) / (8 (-1 + t)³ t² (-1 + 5 t - 6 t² + t³)) +
(z (-2 - 17 t + 245 t² - 812 t³ + 98 t⁴ + 5437 t⁵ - 13045 t⁶ + 7456 t⁷ + 19604 t⁸ - 46768 t⁹ +
47296 t¹⁰ - 26752 t¹¹ + 8608 t¹² - 1440 t¹³ + 96 t¹⁴ + t (-1 + 2 t) (7 - 23 t - 36 t² +
138 t³ + 575 t⁴ - 3055 t⁵ + 5670 t⁶ - 5392 t⁷ + 2736 t⁸ - 688 t⁹ + 64 t¹⁰) ωω)) /
(32 (-1 + t)³ t⁵ (-1 + 5 t - 6 t² + t³)²) - (-225 + 2930 t - 16685 t² + 53762 t³ -
104265 t⁴ + 112187 t⁵ - 23793 t⁶ - 119612 t⁷ + 201884 t⁸ -
171608 t⁹ + 89696 t¹⁰ - 29616 t¹¹ + 5984 t¹² - 672 t¹³ + 32 t¹⁴ +
(-1 + 2 t) (25 - 90 t - 629 t² + 5374 t³ - 17553 t⁴ + 32643 t⁵ - 37939 t⁶ + 28146 t⁷ -
13104 t⁸ + 3632 t⁹ - 536 t¹⁰ + 32 t¹¹) ωω) / (32 (-1 + t)³ t² (-1 + 5 t - 6 t² + t³)³);

ln[ = ]:= q = (2 t - 1)¹⁰;

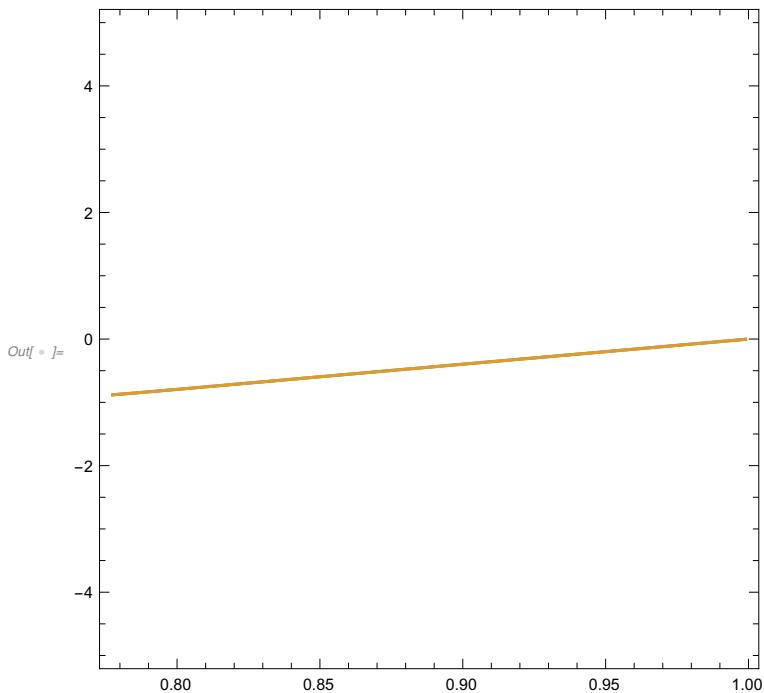
p61 = 16 t⁵ (-10 + 27 t + 288 t² - 2022 t³ +
5825 t⁴ - 9477 t⁵ + 9336 t⁶ - 5494 t⁷ + 1712 t⁸ - 122 t⁹ - 80 t¹⁰ + 16 t¹¹);
p62 = (-16 t⁶) (-25 + 206 t - 726 t² + 1459 t³ - 1927 t⁴ + 1870 t⁵ - 1394 t⁶ + 724 t⁷ - 210 t⁸ + 24 t⁹);
p41 = (-4 t³) (50 - 687 t + 4203 t² - 15695 t³ + 41282 t⁴ - 82204 t⁵ + 125852 t⁶ -
144150 t⁷ + 117216 t⁸ - 62520 t⁹ + 18496 t¹⁰ - 1080 t¹¹ - 960 t¹² + 192 t¹³);
p42 = 4 t³ (10 - 121 t + 677 t² - 2521 t³ + 7132 t⁴ - 15412 t⁵ + 24800 t⁶ -
29742 t⁷ + 27184 t⁸ - 18840 t⁹ + 9072 t¹⁰ - 2520 t¹¹ + 288 t¹²);
p21 = (-2 + 40 t - 360 t² + 2245 t³ - 11098 t⁴ + 42924 t⁵ - 126314 t⁶ + 282304 t⁷ - 483968 t⁸ +
638896 t⁹ - 640864 t¹⁰ + 470400 t¹¹ - 234144 t¹² + 65792 t¹³ - 2784 t¹⁴ - 3840 t¹⁵ + 768 t¹⁶);

```

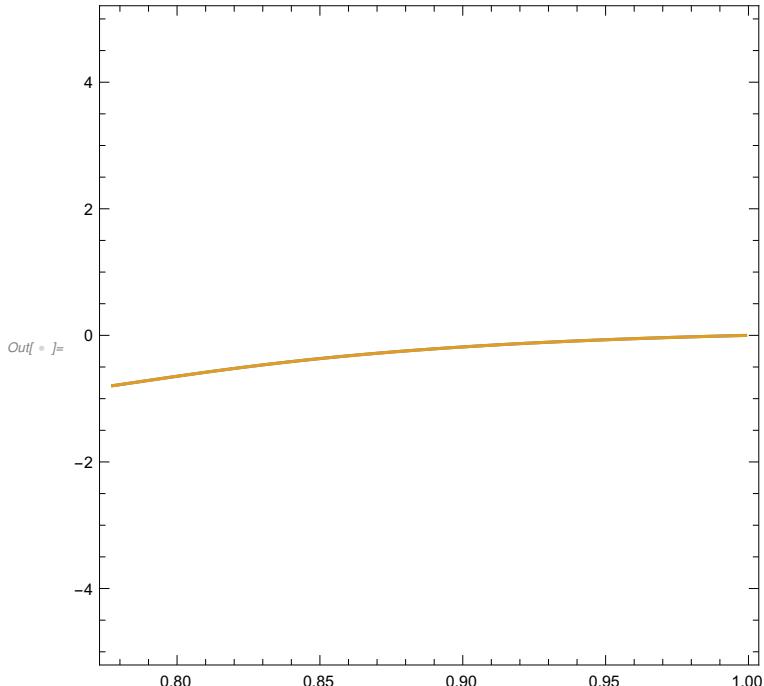
$p22 = -t^3(65 - 774t + 4344t^2 - 15694t^3 + 41224t^4 - 82096t^5 + 124784t^6 - 144768t^7 + 127840t^8 - 83808t^9 + 37824t^{10} - 10080t^{11} + 1152t^{12});$
 $p01 = (1-t)(1 - 19t + 161t^2 - 924t^3 + 4066t^4 - 13822t^5 + 35840t^6 - 70584t^7 + 105400t^8 - 118168t^9 + 96704t^{10} - 54208t^{11} + 17760t^{12} - 1440t^{13} - 1024t^{14} + 256t^{15});$
 $p02 = t^3(25 - 290t + 1636t^2 - 6010t^3 + 15992t^4 - 32064t^5 + 48928t^6 - 56632t^7 + 49024t^8 - 30752t^9 + 13120t^{10} - 3360t^{11} + 384t^{12});$
 $p11 = 8t^3(t-1)(-125 + 4005t - 60169t^2 + 570158t^3 - 3862166t^4 + 20045945t^5 - 83223823t^6 + 284217439t^7 - 813613881t^8 + 1978202656t^9 - 4124892528t^{10} + 7432364016t^{11} - 11645707296t^{12} + 15960414880t^{13} - 19242695952t^{14} + 20530254512t^{15} - 19487643408t^{16} + 16504985216t^{17} - 12441863808t^{18} + 8263236224t^{19} - 4749495424t^{20} + 2309017088t^{21} - 926839040t^{22} + 300215040t^{23} - 76503296t^{24} + 14585856t^{25} - 1794048t^{26} + 73728t^{27} + 8192t^{28});$
 $p12 = 8t^3(1-t)(-25 + 765t - 11171t^2 + 105634t^3 - 736638t^4 + 4055851t^5 - 18297419t^6 + 69029409t^7 - 220386161t^8 + 599953820t^9 - 1399432680t^{10} + 2804818368t^{11} - 4835265904t^{12} + 7165985152t^{13} - 9113381872t^{14} + 9916520688t^{15} - 9197207856t^{16} + 7238388416t^{17} - 4811313152t^{18} + 2688147584t^{19} - 1256283520t^{20} + 488377856t^{21} - 156990208t^{22} + 41689856t^{23} - 9309952t^{24} + 1799168t^{25} - 280576t^{26} + 24576t^{27});$
 $p31 = 8t^3(t-1)(-125 + 4005t - 59369t^2 + 553998t^3 - 3730470t^4 + 19565545t^5 - 83537119t^6 + 297885767t^7 - 901975729t^8 + 2350136384t^9 - 5333296784t^{10} + 10652922784t^{11} - 18880321184t^{12} + 29852879392t^{13} - 42255474560t^{14} + 53630116864t^{15} - 60971031168t^{16} + 61759492352t^{17} - 55128623872t^{18} + 42657332224t^{19} - 28037451008t^{20} + 15314942464t^{21} - 6803466496t^{22} + 2405327616t^{23} - 657957120t^{24} + 131469312t^{25} - 16441344t^{26} + 663552t^{27} + 73728t^{28});$
 $p32 = 8t^3(1-t)(-25 + 765t - 11171t^2 + 107634t^3 - 787518t^4 + 4665067t^5 - 22973819t^6 + 95297577t^7 - 336259225t^8 + 1016942748t^9 - 2647457192t^{10} + 5940364352t^{11} - 11479425312t^{12} + 19070848736t^{13} - 27171006848t^{14} + 33097766976t^{15} - 34341234112t^{16} + 30212895232t^{17} - 22415990528t^{18} + 13930544128t^{19} - 7190272256t^{20} + 3053491200t^{21} - 1060255488t^{22} + 303176448t^{23} - 73578240t^{24} + 15455232t^{25} - 2525184t^{26} + 221184t^{27});$
 $p51 = 128t^8(t-1)(-1500 + 28960t - 257939t^2 + 1404604t^3 - 5211955t^4 + 13795890t^5 - 25855137t^6 + 29614248t^7 + 3063112t^8 - 113012293t^9 + 333031055t^{10} - 652968101t^{11} + 993241608t^{12} - 1221269400t^{13} + 1224164696t^{14} - 994694744t^{15} + 647101024t^{16} - 331790224t^{17} + 131533872t^{18} - 39147024t^{19} + 8229120t^{20} - 1046016t^{21} + 41472t^{22} + 4608t^{23});$
 $p52 = 128t^8(1-t)(-100 + 80t + 20039t^2 - 260728t^3 + 1786957t^4 - 8269540t^5 + 28531279t^6 - 77414974t^7 + 170435054t^8 - 309998835t^9 + 470441223t^{10} - 598385907t^{11} + 638090092t^{12} - 567729488t^{13} + 417123064t^{14} - 249429768t^{15} + 119783328t^{16} - 46124976t^{17} + 14587824t^{18} - 3960432t^{19} + 919872t^{20} - 157824t^{21} + 13824t^{22});$
 $p71 = 2048t^{13}(t-1)(-25 + 56t + 2520t^2 - 25565t^3 + 120032t^4 - 330197t^5 + 533239t^6 - 339915t^7 - 575358t^8 + 1899107t^9 - 2748394t^{10} + 2566194t^{11} - 1675233t^{12} + 781067t^{13} - 257689t^{14} + 57232t^{15} - 7392t^{16} + 288t^{17} + 32t^{18});$

```
p72 = 2048 t^13 (1 - t) (-1 - 50 t + 626 t^2 - 2319 t^3 - 1948 t^4 + 47711 t^5 -
 201331 t^6 + 485563 t^7 - 779658 t^8 + 878711 t^9 - 712736 t^10 + 425072 t^11 -
 193639 t^12 + 72003 t^13 - 23071 t^14 + 6068 t^15 - 1096 t^16 + 96 t^17);
```

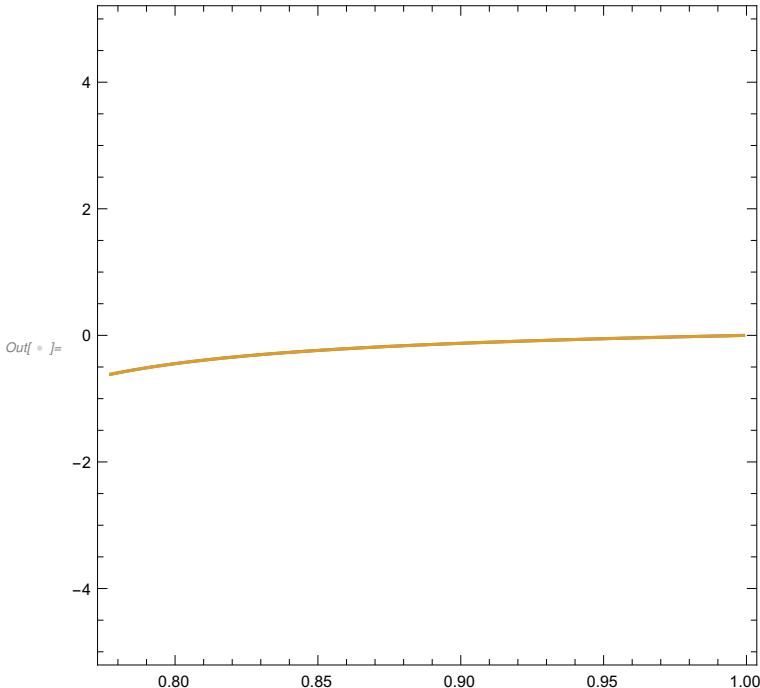
```
In[=] ContourPlot[
 Evaluate[{y == 1/q (-q + {p61 + p62 \[Omega]\[Omega], p41 + p42 \[Omega]\[Omega], p21 + p22 \[Omega]\[Omega], p01 + p02 \[Omega]\[Omega]}.Table[
 (-Sqrt[Root[iep3, 1]])^j, {j, 6, 0, -2}]) /. \[Omega]\[Omega] \[Rule] \[Omega],
 y == 1/q {-Sqrt[p71 + p72 \[Omega]\[Omega]], Sqrt[p51 + p52 \[Omega]\[Omega]], -Sqrt[p31 + p32 \[Omega]\[Omega]],
 Sqrt[p11 + p12 \[Omega]\[Omega]]}.Table[(-Sqrt[Root[iep3, 1]])^j, {j, 7, 1, -2}]) /. \[Omega]\[Omega] \[Rule] \[Omega]}],
 {t, 0.777 ..., .999}, {y, -5, 5}, WorkingPrecision \[Rule] 80,
 PlotPoints \[Rule] 80]
```



```
In[6]:= ContourPlot[
  Evaluate[{y == 1/q (-q + {p61 + p62 ωω, p41 + p42 ωω, p21 + p22 ωω, p01 + p02 ωω}).Table[
    (Sqrt[Root[iep3, 2]])^j, {j, 6, 0, -2}]) /. ωω → ω,
  y == 1/q {-Sqrt[p71 + p72 ωω], Sqrt[p51 + p52 ωω], -Sqrt[p31 + p32 ωω],
    Sqrt[p11 + p12 ωω]}.Table[(Sqrt[Root[iep3, 2]])^j, {j, 7, 1, -2}]) /. ωω → ω}],
  {t, 0.777 ..., .999}, {y, -5, 5}, WorkingPrecision → 80,
  PlotPoints → 80]
```



```
In[ = ContourPlot[
  Evaluate[{y == 1/q (-q + {p61 + p62 ωω, p41 + p42 ωω, p21 + p22 ωω, p01 + p02 ωω}.Table[
    (-Sqrt[Root[iep3, 3]])^j, {j, 6, 0, -2}]) /. ωω → ω,
  y == 1/q {-Sqrt[p71 + p72 ωω], Sqrt[p51 + p52 ωω], -Sqrt[p31 + p32 ωω],
    Sqrt[p11 + p12 ωω]}.Table[(-Sqrt[Root[iep3, 3]])^j, {j, 7, 1, -2}]) /. ωω → ω}],
{t, 0.777 ..., .999}, {y, -5, 5}, WorkingPrecision → 80,
PlotPoints → 80]
```



Canonical bivariate poly for both lhs and rhs

```
In[ = qqq9 =  $-(1 + 2 t)^{33}$ 
(40960000 t5 - 1943552000 t6 + 45285478400 t7 - 690435860480 t8 + 7743927232256 t9 -
  68108919866432 t10 + 488951367704432 t11 - 2944750063979824 t12 +
  15175970060479888 t13 - 67929601432109680 t14 + 267153306116315968 t15 -
  931564200668344928 t16 + 2901234873070618208 t17 - 8117718281903826272 t18 +
  20504594864656612848 t19 - 46938766854057281136 t20 +
  97689962025293254736 t21 - 185313014207268621360 t22 +
  321040887724083234272 t23 - 508698685285134280192 t24 +
  738004829056194882752 t25 - 980903075179142614464 t26 +
  1194692400632446871424 t27 - 1333127378402104336384 t28 +
  136213868153259585944 t29 - 1273134239034149536256 t30 +
  1086950187535630619648 t31 - 846062083308585042944 t32 +
  598964136457371922432 t33 - 384503711839106015232 t34 +
  223000519703744294912 t35 - 116327416959585554432 t36 +
```

$$\begin{aligned}
& 54286377662854893568 t^{37} - 22516675294486294528 t^{38} + \\
& 8235452639907504128 t^{39} - 2630483836098461696 t^{40} + \\
& 725003938985705472 t^{41} - 169841565680795648 t^{42} + 33166940610494464 t^{43} - \\
& 5261745685790720 t^{44} + 654409453273088 t^{45} - 60564139147264 t^{46} + \\
& 3837553278976 t^{47} - 142807662592 t^{48} + 2147483648 t^{49}) - \\
& (-1 + 2t)^{33} (-2048000 t^3 + 98897920 t^4 - 2301060096 t^5 + 34284058112 t^6 - \\
& 366100346048 t^7 + 2964161793936 t^8 - 18691860011004 t^9 + \\
& 91956453666440 t^{10} - 339027331297076 t^{11} + 773368922964576 t^{12} + \\
& 485970715647896 t^{13} - 16256778555818192 t^{14} + 103527969481922696 t^{15} - \\
& 460126867212055792 t^{16} + 1652565858521336564 t^{17} - \\
& 5048648935221121816 t^{18} + 13450699414800590588 t^{19} - \\
& 31703027459360917632 t^{20} + 66713310049532305456 t^{21} - \\
& 126113618703213864096 t^{22} + 215088122456108451248 t^{23} - \\
& 331958151583050360640 t^{24} + 464579532249156713728 t^{25} - \\
& 590376046514544427072 t^{26} + 681745680377918777344 t^{27} - \\
& 715612717391552582400 t^{28} + 682789851101715750656 t^{29} - \\
& 592042736709950430720 t^{30} + 466409561118141895680 t^{31} - \\
& 333820399437898950656 t^{32} + 217171088645076603904 t^{33} - \\
& 128601163772556646400 t^{34} + 69502708363299216384 t^{35} - \\
& 34419756121710096384 t^{36} + 15691832007097171968 t^{37} - \\
& 6607933276682190848 t^{38} + 2568139456612139008 t^{39} - 913878080313819136 t^{40} + \\
& 292975978453532672 t^{41} - 82638299907751936 t^{42} + 19910855360512000 t^{43} - \\
& 3955441272881152 t^{44} + 620075182718976 t^{45} - 72266448633856 t^{46} + \\
& 5709353713664 t^{47} - 257698037760 t^{48} + 4294967296 t^{49}) y - \\
& (-1 + 2t)^{33} (-4096 + 226304 t - 6104320 t^2 + 106074496 t^3 - 1324324336 t^4 + \\
& 12568448724 t^5 - 93608240131 t^6 + 556354788196 t^7 - 2649553376841 t^8 + \\
& 10004029859306 t^9 - 28951916123562 t^{10} + 59415590450564 t^{11} - \\
& 77505287576674 t^{12} + 176745320100456 t^{13} - 1858385126219215 t^{14} + \\
& 14082876445044376 t^{15} - 73553759124965153 t^{16} + 297320808330105826 t^{17} - \\
& 990278962499888772 t^{18} + 2814306694136055344 t^{19} - \\
& 6972020462350010132 t^{20} + 15272227070460526008 t^{21} - \\
& 29882305705517548848 t^{22} + 52630072431602463600 t^{23} - \\
& 83949745932641885408 t^{24} + 121888599331638854656 t^{25} - \\
& 161772260127566524672 t^{26} + 196952719105805828224 t^{27} - \\
& 220553400610110662912 t^{28} + 227577950035522799104 t^{29} - \\
& 216519086804267177216 t^{30} + 189819896193008328704 t^{31} - \\
& 153040708719458708736 t^{32} + 113097452158906555904 t^{33} - \\
& 76262504269633038336 t^{34} + 46661088994199511040 t^{35} - \\
& 25737575460889006080 t^{36} + 12705578545489403904 t^{37} - \\
& 5568947040026361856 t^{38} + 2148594644742111232 t^{39} - 722991853128122368 t^{40} + \\
& 210141777697439744 t^{41} - 52239057422385152 t^{42} + 10994821218959360 t^{43} - \\
& 1936636476653568 t^{44} + 280320846856192 t^{45} - 32093069377536 t^{46} + \\
& 2666906255360 t^{47} - 132070244352 t^{48} + 2147483648 t^{49}) y^2 -
\end{aligned}$$

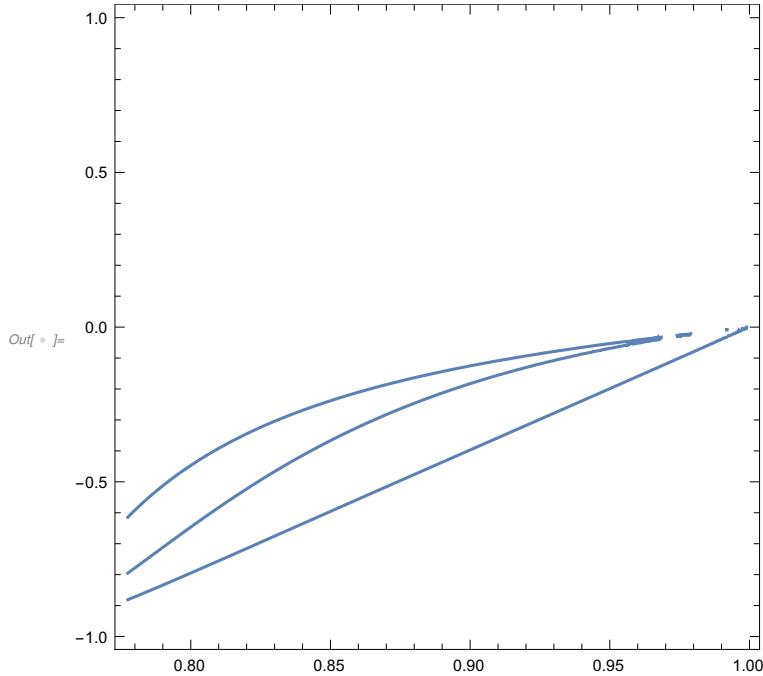
$$\begin{aligned}
& (-1 + 2t)^{33} \left(-9728t^3 + 319616t^4 - 4262560t^5 + 21231272t^6 + 174017144t^7 - \right. \\
& \quad 4358709897t^8 + 46221876998t^9 - 346041528932t^{10} + 2115496257784t^{11} - \\
& \quad 11537827945399t^{12} + 59243824444198t^{13} - 289966450760380t^{14} + \\
& \quad 1328416837044532t^{15} - 5559254885446588t^{16} + 20912000519681028t^{17} - \\
& \quad 70248423450837684t^{18} + 210661040704675080t^{19} - 565417341215564252t^{20} + \\
& \quad 1363135099498485384t^{21} - 2962035232396486768t^{22} + 5817500497339138992t^{23} - \\
& \quad 10346745192826359104t^{24} + 16679998567994197376t^{25} - \\
& \quad 24372090387510151232t^{26} + 32244610031834865792t^{27} - \\
& \quad 38550755854067812864t^{28} + 41525171375735604480t^{29} - \\
& \quad 40127474227170270208t^{30} + 34581308273774562304t^{31} - \\
& \quad 26352234840173588480t^{32} + 17530083121667678208t^{33} - \\
& \quad 9964650758102171648t^{34} + 4644220093518381056t^{35} - \\
& \quad 1598290785896235008t^{36} + 240060898049327104t^{37} + 164502136755585024t^{38} - \\
& \quad 177224368158670848t^{39} + 100248003193864192t^{40} - 41072046192459776t^{41} + \\
& \quad 12939930401505280t^{42} - 3147949555056640t^{43} + 576997851922432t^{44} - \\
& \quad 75406338162688t^{45} + 6282463412224t^{46} - 251255586816t^{47} \Big) y^3 - \\
& (-1 + 2t)^{33} \left(128t^5 - 6672t^6 + 187232t^7 - 3746757t^8 + 58668800t^9 - 745763428t^{10} + \right. \\
& \quad 7849951402t^{11} - 69467928703t^{12} + 523633324918t^{13} - 3399714007506t^{14} + \\
& \quad 19188108219416t^{15} - 94847507984346t^{16} + 413060552367952t^{17} - \\
& \quad 1592556998134424t^{18} + 5457724439694136t^{19} - 16682213545947196t^{20} + \\
& \quad 45618158313068376t^{21} - 111908238505973808t^{22} + 246912778434890576t^{23} - \\
& \quad 491178722971778912t^{24} + 882986026840374848t^{25} - 1437557480495007040t^{26} + \\
& \quad 2123705498248846976t^{27} - 2851318733313996032t^{28} + \\
& \quad 3482789737286860288t^{29} - 3871253606239122432t^{30} + 3912883543987812352t^{31} - \\
& \quad 3589394351929233408t^{32} + 2978555229037125632t^{33} - 2225509571674685440t^{34} + \\
& \quad 1488208430438318080t^{35} - 884019654558154752t^{36} + 462290661732909056t^{37} - \\
& \quad 210542393341771776t^{38} + 82424345549864960t^{39} - 27289732007329792t^{40} + \\
& \quad 7482714041090048t^{41} - 1651598350614528t^{42} + 281679574859776t^{43} - \\
& \quad 34798294794240t^{44} + 2767837986816t^{45} - 106300440576t^{46} \Big) y^4 - \\
& (-1 + 2t)^{33} \left(152t^8 - 7398t^9 + 165929t^{10} - 2211278t^{11} + 18132711t^{12} - 68726802t^{13} - \right. \\
& \quad 413256616t^{14} + 9534928924t^{15} - 93166858152t^{16} + 642663579152t^{17} - \\
& \quad 3486379980012t^{18} + 15547377177468t^{19} - 58329088678740t^{20} + \\
& \quad 186582400399240t^{21} - 512787829217984t^{22} + 1215033657475072t^{23} - \\
& \quad 2480957459206208t^{24} + 4342539884621440t^{25} - 6432194348111360t^{26} + \\
& \quad 7834870970099712t^{27} - 7297962682238976t^{28} + 3901717429653504t^{29} + \\
& \quad 2127573466480640t^{30} - 9119737862225920t^{31} + 14631841735737344t^{32} - \\
& \quad 16781407917899776t^{33} + 15285877524660224t^{34} - 11431014044008448t^{35} + \\
& \quad 7090339839737856t^{36} - 3645066435887104t^{37} + 1540208050831360t^{38} - \\
& \quad 526658570289152t^{39} + 142198158917632t^{40} - 29182012686336t^{41} + \\
& \quad 4276210368512t^{42} - 398358216704t^{43} + 17716740096t^{44} \Big) y^5 - \\
& (-1 + 2t)^{33} \left(-t^{10} + 60t^{11} - 1743t^{12} + 32654t^{13} - 443355t^{14} + 4648056t^{15} - \right. \\
& \quad 39146185t^{16} + 272061558t^{17} - 1590536844t^{18} + 7934058600t^{19} -
\end{aligned}$$

$$\begin{aligned}
& 34135077600 t^{20} + 127717012800 t^{21} - 418214409600 t^{22} + 1204361107200 t^{23} - \\
& 3061184889600 t^{24} + 6885051486720 t^{25} - 13725049881600 t^{26} + \\
& 24268379535360 t^{27} - 38059283988480 t^{28} + 52891781529600 t^{29} - \\
& 65022693212160 t^{30} + 70522375372800 t^{31} - 67228313518080 t^{32} + \\
& 56050744688640 t^{33} - 40606924800000 t^{34} + 25349271846912 t^{35} - \\
& 13487906488320 t^{36} + 6029853065216 t^{37} - 2221563445248 t^{38} + 656576348160 t^{39} - \\
& 149602435072 t^{40} + 24662507520 t^{41} - 2617245696 t^{42} + 134217728 t^{43}) y^6;
\end{aligned}$$

In[=]:= `Solve[qqq9 == 0 /. t → 4/5, Reals]`

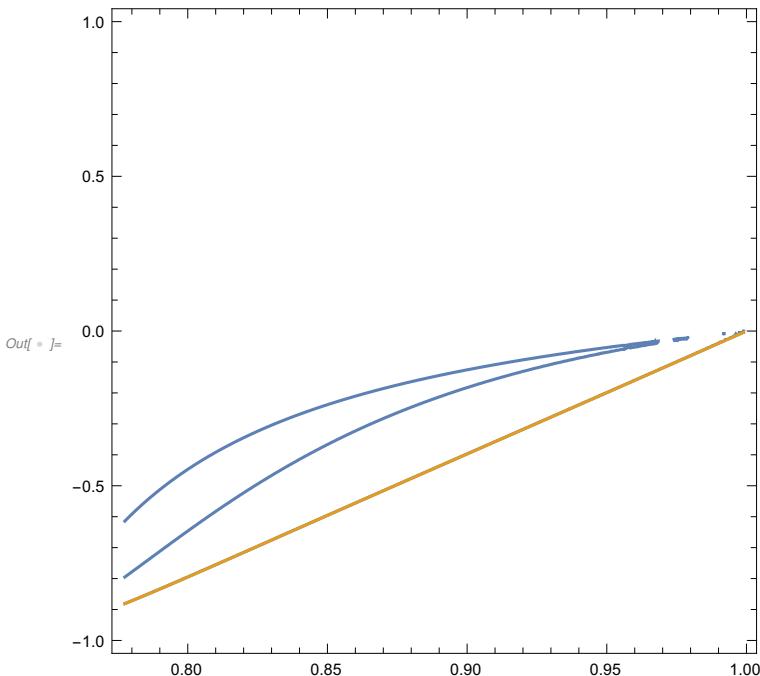
Out[=]= $\{\{y \rightarrow \sqrt{-5.19 \dots \times 10^3}\}, \{y \rightarrow \sqrt{-0.795 \dots}\}, \{y \rightarrow \sqrt{-0.646 \dots}\}, \{y \rightarrow \sqrt{-0.447 \dots}\}\}$

In[=]:= `ContourPlot[Evaluate[{qqq9 == 0}], {t, Sqrt[0.777 ...], .999}, {y, -1, 1}, WorkingPrecision → 100, PlotPoints → 120]`



```
In[6]:= ContourPlot[
  Evaluate[{qqq9 == 0, y == 1/q (-q + {p61 + p62 ωω, p41 + p42 ωω, p21 + p22 ωω, p01 + p02 ωω}.

  Table[(-Sqrt[Root[iep3, 1]])^j, {j, 6, 0, -2}]) /. ωω → ω}], {t, 0.777 ..., .999}, {y, -1, 1}, WorkingPrecision → 100,
  PlotPoints → 120]
```



```
In[7]:= RootReduce [{Root[qqq9 /. t → 4/5, 2], Root[qqq9 /. t → 4/5, 3], Root[qqq9 /. t → 4/5, 4],
  1/q (-q + {p61 + p62 ωω, p41 + p42 ωω, p21 + p22 ωω, p01 + p02 ωω}.

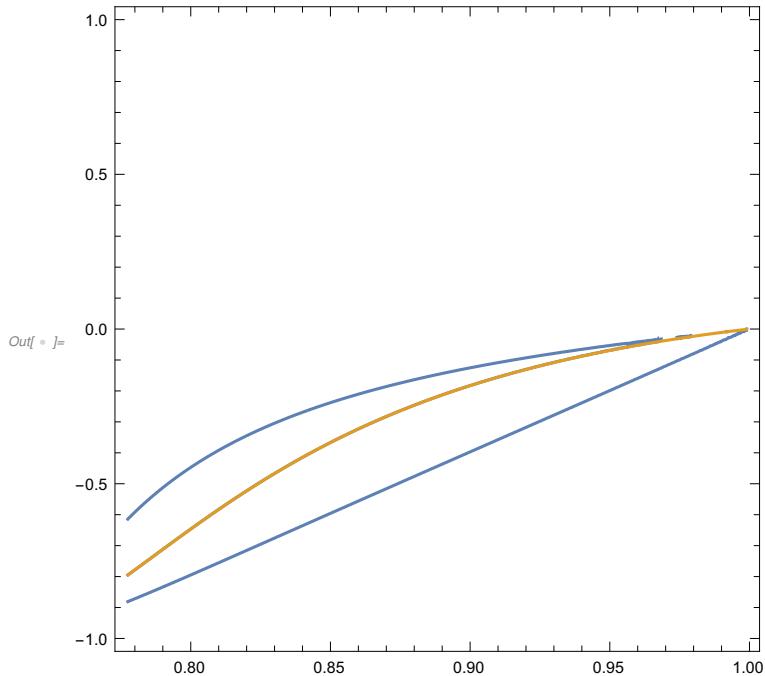
  Table[(-Sqrt[Root[iep3, 1]])^j, {j, 6, 0, -2}]) /. ωω → ω /. t → 4/5,
  1/q (-q + {p61 + p62 ωω, p41 + p42 ωω, p21 + p22 ωω, p01 + p02 ωω}.

  Table[(Sqrt[Root[iep3, 2]])^j, {j, 6, 0, -2}]) /. ωω → ω /. t → 4/5,
  1/q (-q + {p61 + p62 ωω, p41 + p42 ωω, p21 + p22 ωω, p01 + p02 ωω}.

  Table[(-Sqrt[Root[iep3, 3]])^j, {j, 6, 0, -2}]) /. ωω → ω /. t → 4/5}]
```

Out[7]= $\sqrt{-0.795 \dots}$, $\sqrt{-0.646 \dots}$, $\sqrt{-0.447 \dots}$, $\sqrt{-0.795 \dots}$, $\sqrt{-0.646 \dots}$, $\sqrt{-0.447 \dots}$

```
In[6]:= ContourPlot[
  Evaluate[{qqq9 == 0, y == 1/q (-q + {p61 + p62 ωω, p41 + p42 ωω, p21 + p22 ωω, p01 + p02 ωω} .
    Table[(Sqrt[Root[iep3, 2]])^j, {j, 6, 0, -2}]) /. ωω → ω}],
  {t, 0.777 ..., .999}, {y, -1, 1}, WorkingPrecision → 100,
  PlotPoints → 120]
```



```
In[6]:= ContourPlot[  
  Evaluate[{qqq9 == 0, y == 1/q (-q + {p61 + p62 ωω, p41 + p42 ωω, p21 + p22 ωω, p01 + p02 ωω}.  
    Table[(-Sqrt[Root[iep3, 3]])^j, {j, 6, 0, -2}]) /. ωω → ω}],  
  {t, 0.777 ..., .999}, {y, -1, 1}, WorkingPrecision → 100,  
  PlotPoints → 120]
```

