

1.15. Tétel. *Tetszőleges A, B, C halmazokra*

$$\begin{array}{lll}
 A \cap A = A, & A \cup A = A, & \text{(idempotencia)} \\
 A \cap B = B \cap A, & A \cup B = B \cup A, & \text{(kommutativitás)} \\
 (A \cap B) \cap C = A \cap (B \cap C), & (A \cup B) \cup C = A \cup (B \cup C), & \text{(asszociativitás)} \\
 (A \cup B) \cap A = A, & (A \cap B) \cup A = A, & \text{(abszorptivitás)} \\
 (A \cup B) \cap C = & (A \cap B) \cup C = & \text{(disztributivitás)} \\
 (A \cap C) \cup (B \cap C), & (A \cup C) \cap (B \cup C). &
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1.19. Tétel. *Tetszőleges $A, B (\subseteq U)$ halmazokra*

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 \overline{A \cap B} = \overline{A} \cup \overline{B}, & \overline{A \cup B} = \overline{A} \cap \overline{B}, \\
 \overline{\overline{A}} = A, & \\
 A \cap \overline{A} = \emptyset, & A \cup \overline{A} = U, \\
 A \cap U = A, & A \cup U = U, \\
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