

# BEST AND RANDOM APPROXIMATIONS WITH GENERALIZED DISC–POLYGONS

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In this contribution, we consider the asymptotic behaviour of the distance between a convex disc  $K$  with sufficiently smooth boundary, and its approximating  $n$ -gons, as the number of vertices tends to infinity. We consider two constructions: the best approximating inscribed  $n$ -gon of  $K$  is the one with maximal area; and a random inscribed  $n$ -gon of  $K$  is the convex hull of  $n$  i.i.d. random points chosen from the boundary of  $K$ . The asymptotic behaviour of the area deviation of  $K$  and the  $n$ -gon depend in both cases on the same, geometric limit. The best and random approximating  $n$ -gons can be similarly defined in the circumscribed case.

We generalize the existing results on linear and spindle convexity to the so-called  $L$ -convexity. In the case of inscribed  $L$ -polygons, we prove similar asymptotic formulae by generalizing the geometric limits. Then we introduce an  $L$ -convex duality, consider its properties, and use them to prove the formulae for the circumscribed cases.