

Publications of Viktor Víg (via independent citations):

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- (2) V. Víg: Typical faces of best approximating polytopes with a restricted number of edges, *Acta Sci. Math. (Szeged)*, **75** (2009), 313–327.
- (3) K. J. Böröczky, F. Fodor, M. Reitzner, and V. Víg: Mean width of random polytopes in a reasonable smooth convex body, *J. Multivariate Anal.*, **100** (2009), 2287–2295.
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- (4) I. Bárány, F. Fodor, and V. Víg: Intrinsic volumes of inscribed random polytopes in smooth convex bodies, *Adv. Appl. Probab.*, **42** Number 3 (2010), 605–619.
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- (13) F. Fodor, V. Vigh and T. Zarnócz: On the angle sum of lines, *Archiv der Mathematik* **106** (2016), No. 1, 91–100.
- (14) F. Fodor, V. Vigh and T. Zarnócz: Covering the sphere by equal zones, *Acta. Math. Hungar.* **149** (2016) vol. 2, pp. 478–489, DOI: 10.1007/s10474-016-0613-2.
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