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**Zbl 0625.46010****Bogmér, A.; Joó, I.; Stachó, L.L.****Remarks on superlinear operators.** (English)

Ann. Univ. Sci. Budap. Rolando Eötvös, Sect. Math. 28(1986), 147-151 (1985).

The concept of superlinear operators is considered in the setting of vector lattices. A map  $T$  from  $E$  to  $F$ , where  $E$  and  $F$  are vector lattices, is defined to be superlinear if for each  $x$  in  $E$  there is a linear operator  $L_x$  so that  $L_x x = Tx$  and  $|L_x| \leq |T|$ . If  $L_x$  can always be chosen as a positive linear map, then  $T$  is said to be positive superlinear. Among the results presented, it is shown that if  $E$  and  $F$  are topological vector lattices with the dual of  $F$  having an appropriate separation property, then each continuous positive superlinear map  $T$  is linear. Such is the case if  $F$  is the Banach lattice of all continuous functions on a compact space. An example of a continuous positive superlinear map which is not linear is provided.

*W.Feldmann**Keywords* : superlinear operators; vector lattices; positive superlinear*Classification* :

- \*46A40 Ordered topological linear spaces
- 47H07 Positive operators on ordered topological linear spaces
- 47B60 Operators on ordered spaces