MR1487342 (99f:46101) 46L70 (17C65 46H70)
Stachó, L. L. (H-SZEG-B); **Zalar, B. [Zalar, Borut]** (SV-MARCE-BS)
Uniform primeness of the Jordan algebra of symmetric operators. (English summary)
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Suppose H is a Hilbert space and $\mathcal{A}$ is the set of all bounded selfadjoint operators on H. Define the Jordan product on $\mathcal{A}$ by $A\circ B=\frac{1}{2}(AB+BA)$. Then $\mathcal{A}$ with this product is a commutative nonassociative algebra such that $((A\circ A)\circ B)\circ A=(A\circ A)\circ(B\circ A)$. The authors study the operator $U_{A,B}\colon\mathcal{A}\to\mathcal{A}$ defined by $U_{A,B}(X)=AXB+BXA$ and prove that $\|U_{A,B}\|\geq\|A\|\|B\|$ $(A,B\in\mathcal{A})$. This is the best possible lower estimate for this operator on the selfadjoint portion of $B(H)$.

Reviewed by *A. Niknam*

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